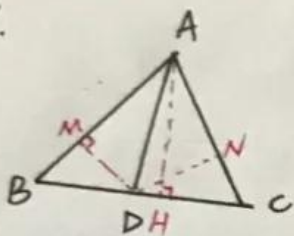


硚口区 八年级 数学 期中考试答案 (第 1 页)

一. 选择题:

1~5: CDCBA, 6~10: CDABB

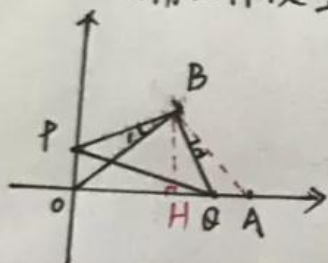
9.



$$\frac{S_{\triangle ABD}}{S_{\triangle ACD}} = \frac{AB}{AC} = \frac{BD}{CD} = \frac{9}{6} = \frac{3}{2}$$

$$\therefore CD = \frac{2}{5} BC = 4.$$

10. "对顶角互补模型" 易证: ①, ②, ③ 正确, ④ 错误.



连 AB.  $\because \angle POQ = 90^\circ, \angle PBQ = 90^\circ$

$$\therefore \angle BPO + \angle BQO = 180^\circ$$

$$\text{又} \because \angle BQA + \angle BQO = 180^\circ$$

$$\therefore \angle BPO = \angle BQA$$

$$\Rightarrow \triangle BPO \cong \triangle BQA (SAS)$$

$$\therefore BO = BA, \angle 1 = \angle 2$$

$$\therefore \angle OBA = \angle PBQ = 90^\circ$$

$\therefore \triangle BOA$  为等腰直角三角形.

过 B 作  $BH \perp x$  轴于 H

$$\therefore OH = BH = AH = \frac{1}{2} OA = 4$$

$$\therefore \text{① 中: } OP + OQ = OA = 8 \text{ (对)}$$

$$\text{② 中: } B(4, 4) \text{ (对)}$$

$$\text{③ 中: } S_{\square} = S_{\triangle OBA} = \frac{1}{2} \times 4 \times 4 = 8 \text{ (错)}$$

$$\text{④ 中: } PQ \geq OB \text{ (错)}$$

(当  $BQ \perp OA$ , 即四边形  $POQB$  为正方形时取等).

二. 填空题:

11. 2

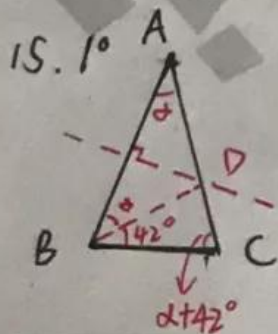
12. 9

13. 8

14.  $80^\circ$

15.  $32^\circ$  或  $88^\circ$  或  $152^\circ$

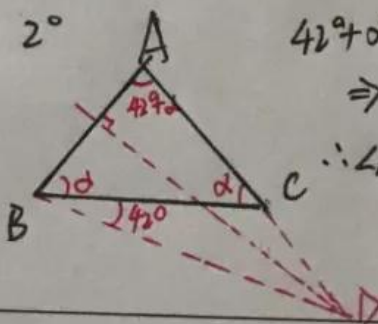
16.  $180^\circ - 2\alpha$



$$\alpha + (\alpha + 42^\circ) \times 2 = 180^\circ \quad 2^\circ$$

$$\Rightarrow \alpha = 32^\circ$$

$$\therefore \angle A = 32^\circ$$



$$42^\circ + \alpha + 2\alpha = 180^\circ$$

$$\Rightarrow \alpha = 46^\circ$$

$$\therefore \angle A = 88^\circ$$

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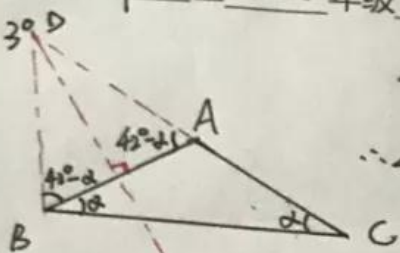
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硚口区 八年级 数学 期中考试答案 (第 2 页)

15.  $3^\circ$



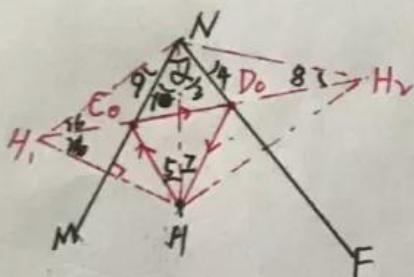
$$42^\circ - \alpha = 2\alpha$$

$$\Rightarrow \alpha = 14^\circ$$

$$\therefore \angle A = 180^\circ - 2\alpha = 152^\circ$$

综上:  $\angle BAC = 32^\circ$  或  $88^\circ$  或  $152^\circ$

16.



“将军饮马”问题:

过H作MN对称点H<sub>1</sub>, 作关于NF对称点H<sub>2</sub>  
连H<sub>1</sub>H<sub>2</sub>分别交MN, NF于C<sub>0</sub>, D<sub>0</sub>即为所求.

$$\therefore NH = NH_1 = NH_2$$

$$\text{且 } \angle 9 = \angle 10, \angle 3 = \angle 4, \angle 5 = \angle 6, \angle 7 = \angle 8$$

$$\therefore \angle H_1NH_2 = 2\alpha \therefore \angle C_0HD_0 = \angle 6 + \angle 7 = 180^\circ - 2\alpha$$

$$\text{即: } \angle 2 = 180^\circ - 2\alpha$$

三. 解答题:

17. 解:  $\therefore$  外角和为  $360^\circ$

$$\therefore \text{内角和为 } n \times 360^\circ = 1080^\circ$$

设边数为  $n$

$$\therefore (n-2) \cdot 180^\circ = 1080^\circ \Rightarrow n = 8$$

18. 证明:  $\therefore FB = CE$

$$\therefore BC = EF$$

$$\Rightarrow \triangle ABC \cong \triangle DEF (SSS)$$

$$\therefore \angle B = \angle E$$

$$\therefore AB \parallel DE$$

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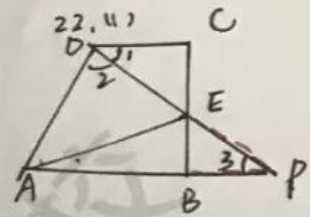


硚口区 八年级 数学 期中考试答案 (第 3 页)

19. (1) 设  $\angle A = \alpha$   
 $\therefore CE = EA$   
 $\therefore \angle ACE = \alpha$   
 $\therefore CE$  平分  $\angle ACB$   
 $\therefore \angle ACB = 2\alpha$   
 $\therefore AB = AC$   
 $\therefore \angle ABC = 2\alpha$   
 $\therefore \alpha + 2\alpha + 2\alpha = 180^\circ$   
 $\Rightarrow \alpha = 36^\circ \therefore \angle A = 36^\circ$

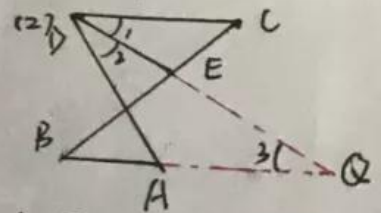
(2)  $\therefore BD \perp AC$   
 $\therefore \angle 1 = \angle CFD$   
 由(1)知:  $\angle ACE = \alpha = 36^\circ$   
 $\therefore \angle 1 = 90^\circ - 36^\circ = 54^\circ$

20. 证明:  
 易证:  $\triangle ABD \cong \triangle BAC$  (HL)  
 $\therefore \angle EAB = \angle EBA$   
 $\therefore EA = EB$



22. (1) 证明: 如图: 延长DE交AB延长线于点P.

易证:  $\triangle DEC \cong \triangle PEB$  (AAS)  
 $\therefore \angle 1 = \angle 3, DE = EP$   
 $\therefore \angle 1 = \angle 2$   
 $\therefore \angle 2 = \angle 3$   
 $\therefore DE = EP$   
 $\therefore AE$  平分  $\angle DAB$



如图: 延长DE交BA及BC延长线于Q.  
 $\therefore \angle 1 = \angle 3 = \angle 2$   
 $\therefore DA = AQ$   
 $\therefore BQ = CD$   
 $\Rightarrow \triangle DCE \cong \triangle QBE$  (AAS)  
 $\therefore EB = EC$

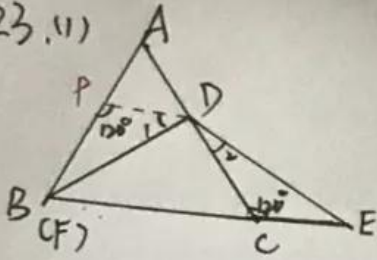
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硤口区八年级数学期中考试答案 (第4页)

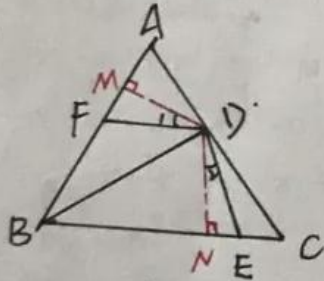
23. (1)



证明: 如图, 过D作DP//BC交AB于P

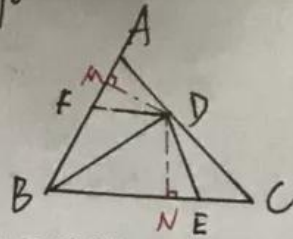
- $\therefore \triangle ADP$  为等边三角形
- $\therefore PD=DA=DC, \angle PDC=120^\circ$
- $\therefore \angle 1=\angle 2$
- $\therefore \triangle PDB \cong \triangle DCE$  (ASA)
- $\therefore BD=DE$

(2)



- $\therefore D$  为  $AC$  中点
- $\therefore BD$  平分  $\angle ABC$
- 过D作  $DM \perp AB$  交  $AB$  于  $M$ .
- 过D作  $DN \perp BC$  交  $BC$  于  $N$
- $\therefore DM=DN, \angle MDN=120^\circ$
- $\therefore \angle 1=\angle 2$
- $\therefore \triangle DMF \cong \triangle DNE$  (ASA)
- $\therefore FM=NE$
- $\therefore BF+BE=2BM$
- 设  $AC=4a$
- $\therefore AB=4a, AD=2a$
- $\therefore \angle A=60^\circ$
- $\therefore \angle ADM=30^\circ$
- $\therefore AM=a$
- $\therefore BM=3a$
- $\therefore \frac{BE+BF}{AC} = \frac{6a}{4a} = \frac{3}{2}$

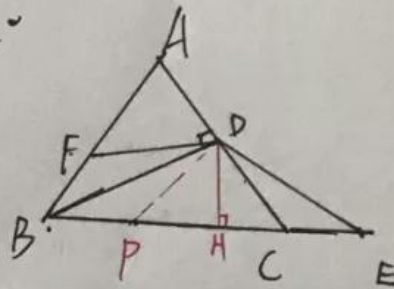
(3) 1°



当E, F都在线段上时.

- 由(2)易知:  $CE+AF=AM+CN=2AM=AD$
- $\therefore AD \neq BD$
- $\therefore$  不成立

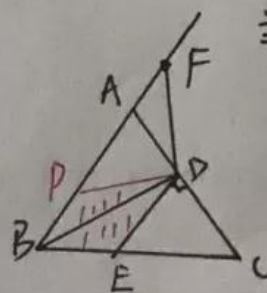
2°



当F在AB上, E在BC延长线上时

- 在BC上取  $BP=BF \therefore AF=CP$
- $\therefore AF+CE=PE=BD$
- 易证:  $\triangle DBF \cong \triangle DBP$  (SAS)
- $\therefore DF=DP$
- 由(1)易知:  $DF=DE$  (辅助线一样)
- $\therefore DP=DE$
- 过D作  $DH \perp BC$  交  $BC$  于  $H$ .
- $\therefore DH = \frac{1}{2}BD = \frac{1}{2}PE = PH=EH$
- $\therefore \angle EDH = \angle E = 45^\circ$
- $\therefore \angle DCB = 60^\circ$
- $\therefore \angle CDE = 15^\circ$

3°



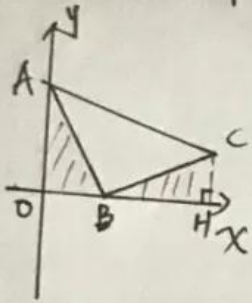
当F在BA延长线上, E在BC上时

- 同理可证:  $\angle APD=45^\circ$
- $\therefore \angle PDB = \angle EDB = 15^\circ$
- $\therefore \angle EDC = 75^\circ$

综上所述:  $\angle EDC = 15^\circ$  或  $75^\circ$

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24.(1)



“三垂直”

如图过C作CH⊥x轴交x轴于H.

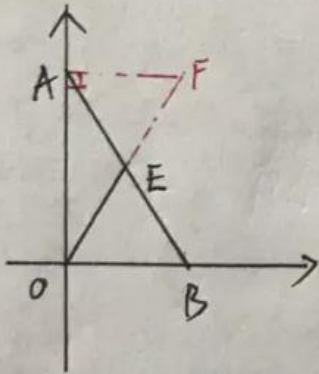
易记:  $\triangle AOB \cong \triangle BHC$  (AAS)

$\therefore AO = BH = 4, OB = CH = 3$

$\therefore OH = 7$

$\therefore C(7, 3)$ .

(2)



如图: 延长OE到F, 使EF=OE, 连AF

$\Rightarrow \triangle OBE \cong \triangle FAE$  (SAS)

$\therefore AF = OB, \angle F = \angle EOB$

$\therefore AF \parallel OB$

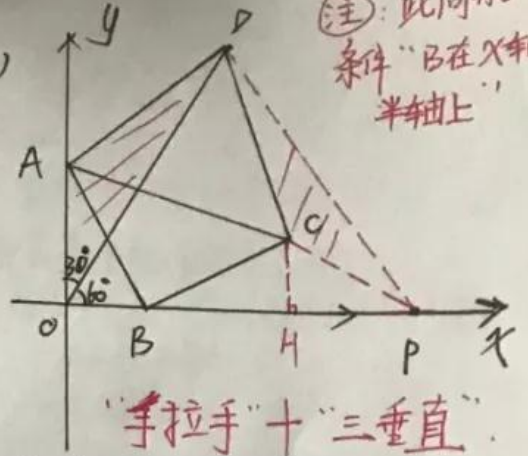
$\therefore \angle FAO + \angle AOB = 180^\circ$

$\therefore \angle FAO = 90^\circ$

$\therefore \triangle FAO \cong \triangle BOA$  (SAS)

$\therefore OF = AB = 2OE$ .

(3)



“手拉手”+“三垂直”

如图: 在x轴上取点P, 使OP=OD

连CP, DP

$\therefore \angle AOD = 30^\circ$

$\therefore \angle DOP = 60^\circ$

$\therefore \triangle DOP$  为等边三角形

又:  $\triangle ADC$  为等边三角形

易记:  $\triangle AOD \cong \triangle CPD$  (SAS)

$\therefore CP = AO = 4, \angle CPD = \angle AOD = 30^\circ$

$\therefore \angle CPB = 60^\circ - 30^\circ = 30^\circ$

过C作CH⊥x轴, 交x轴于H点.

$\therefore CH = 2$

易记:  $\triangle AOB \cong \triangle BHC$  (AAS)

$\therefore OB = CH = 2$

$\therefore B(2, 0)$

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